

Semiconductor Lasers

Class: Integrated Photonic Devices

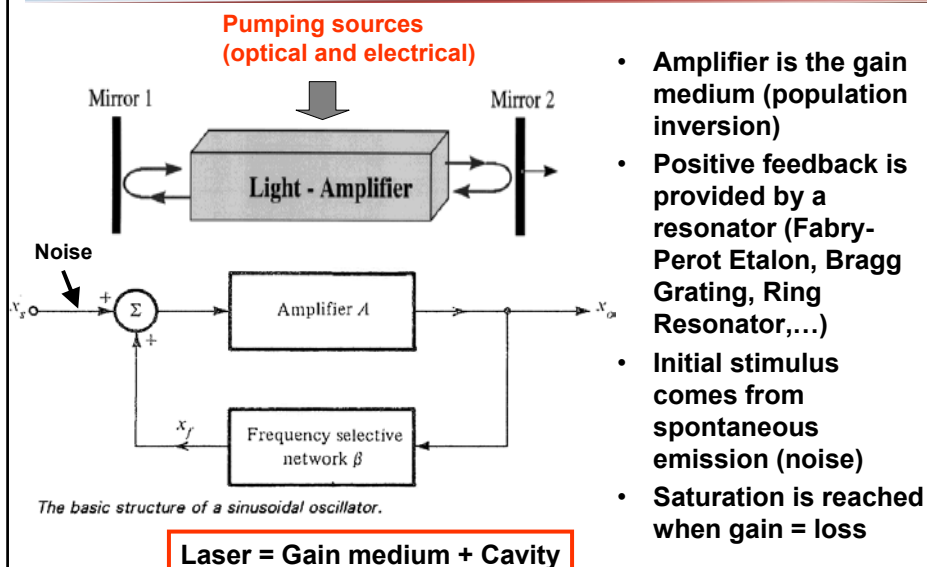
Time: Fri. 8:00am ~ 11:00am.

Classroom: 資電206

Lecturer: Prof. 李明昌(Ming-Chang Lee)

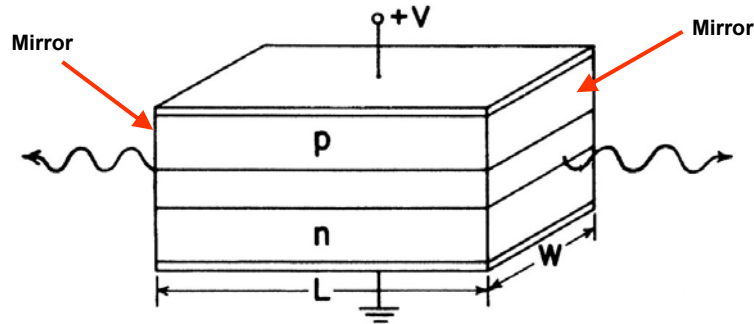
Ming-Chang Lee, Integrated Photonic Devices

Principles of Laser Operation



Ming-Chang Lee, Integrated Photonic Devices

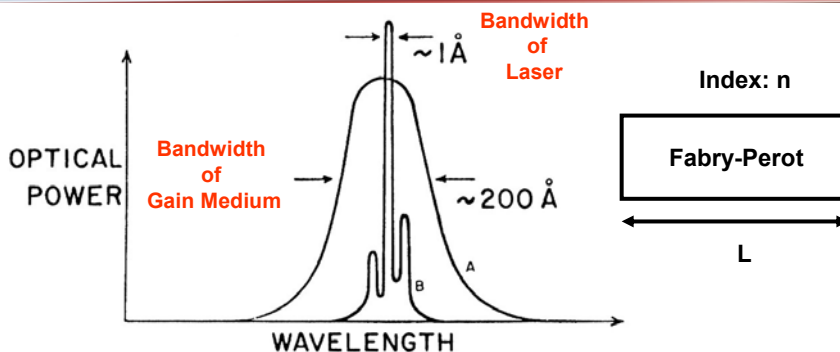
Basic Structure of p-n Junction Laser Diode



- Epitaxial growth of a p-type layer on an n-type substrate
- GaAs , $\text{Ga}_{(1-x)}\text{Al}_x\text{As}$, $\text{Ga}_x\text{In}_{(1-x)}\text{As}_{(1-y)}\text{P}_y$ are often used for different wavelengths
- Ohmic contacts
- Two parallel end faces are used as partially reflected mirrors

Ming-Chang Lee, Integrated Photonic Devices

Fabry-Perot Etalon for Optical Feedback

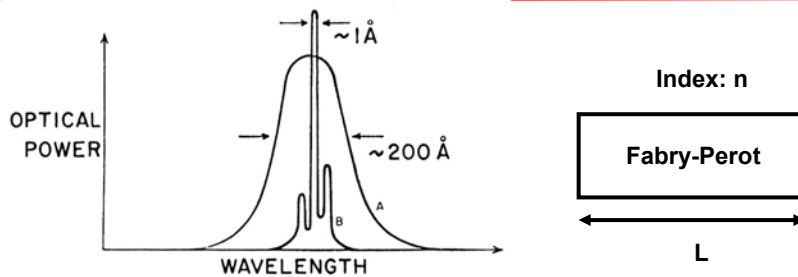


- Only the fundamental longitudinal modes have high quality factors (low loss) which can be utilized for laser modes
- The mode number m is given by the number of half-wavelengths

$$m = \frac{2Ln}{\lambda_0}$$

Ming-Chang Lee, Integrated Photonic Devices

Fabry-Perot Etalon for Optical Feedback



The mode spacing (free spectrum range) is determined by

$$\frac{dm}{d\lambda_0} = -\frac{2Ln}{\lambda_0^2} + \frac{2L}{\lambda_0} \frac{dn}{d\lambda_0}$$

The mode spacing $d\lambda_0$ is given by taking $dm = -1$

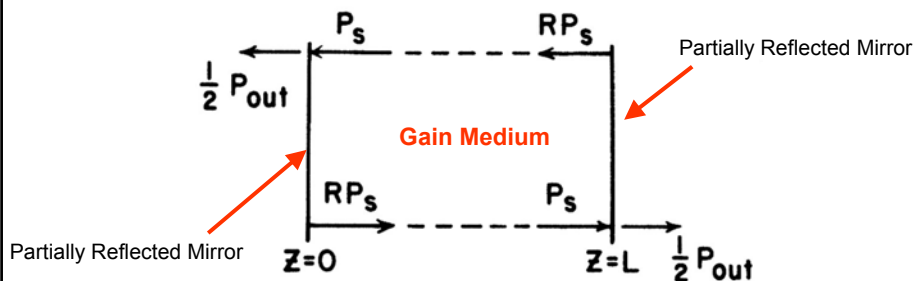
$$d\lambda_0 = \frac{\lambda_0^2}{2L(n - \lambda_0 \frac{dn}{d\lambda_0})}$$

group index 

- Usually several longitudinal modes will coexist. (multiple modes)

Ming-Chang Lee, Integrated Photonic Devices

Lasing Threshold Conditions (Threshold Current)



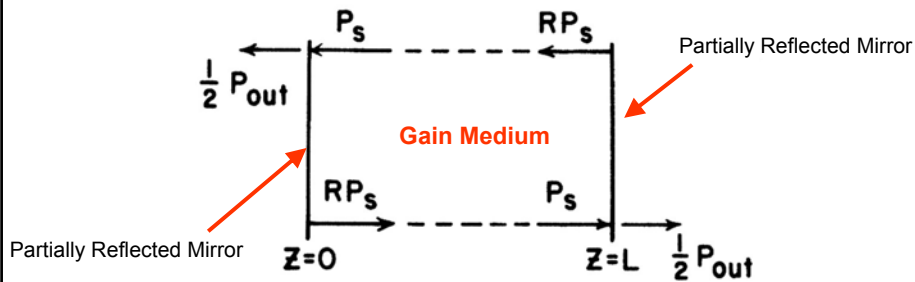
- For oscillation (lasing), the net gain of a single loop should be equal to 1 (stationary P_s)

$$\text{Loss} = \text{Gain}$$

- Loss is due to propagation loss (scattering, absorption) and optical transmission through mirror
- Gain is due to population inversion at the p-n junction

Ming-Chang Lee, Integrated Photonic Devices

Lasing Threshold Conditions (Threshold Current)

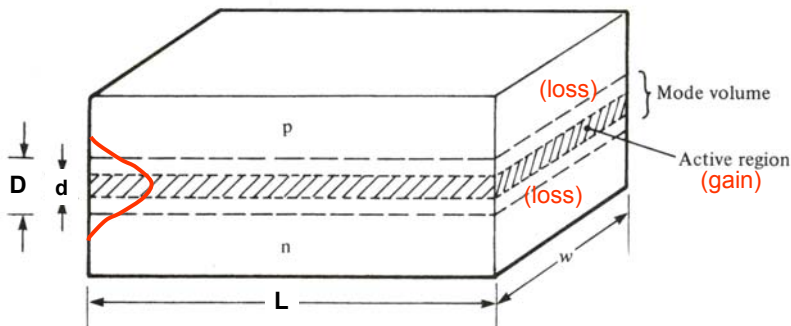


Power variation during propagation:
$$P = P_s \exp\left(g \frac{d}{D} - \alpha\right)Z$$

Arrows point from the terms in the exponent to their physical meanings: $g \frac{d}{D}$ is labeled "Gain" and α is labeled "Loss".

Ming-Chang Lee, Integrated Photonic Devices

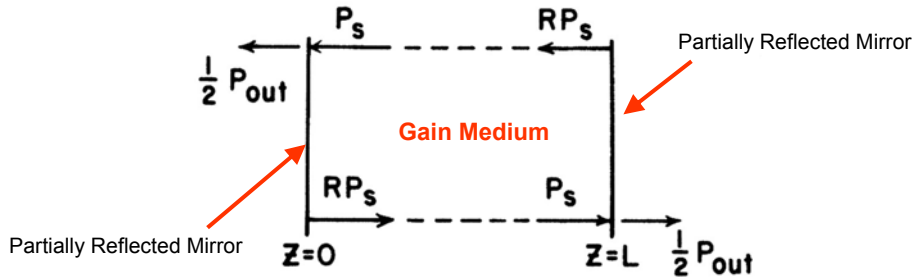
Transverse Spatial Energy Distribution in a Diode Laser



- The photon distribution extends or spread into the inactive regions on each side of the junction (optical mode width)
- The index is a little high in depletion region
- only a fraction d/D remain in the active region and can generate additional photons by stimulated emission

Ming-Chang Lee, Integrated Photonic Devices

Lasing Threshold Conditions (Threshold Current)



To maintain the loop gain equal to 1,

$$P_s = RP_s \exp\left(g \frac{d}{D} - \alpha\right)L \quad \text{or} \quad \ln \frac{1}{R} = \left(g \frac{d}{D} - \alpha\right)L$$

where R is the reflectance. Thus,

$$g \frac{d}{D} = \alpha + \frac{1}{L} \ln \frac{1}{R}$$

Ming-Chang Lee, Integrated Photonic Devices

Lasing Threshold Conditions (Threshold Current)

The gain coefficient g is related to the injected current density of holes and electrons. It can be given by

$$g = \frac{\eta_q \lambda_0^2 J}{8\pi e n^2 d \Delta \nu}$$

η_q : internal quantum efficiency

λ_0 : vacuum wavelength emitted

n : index of refraction at λ_0

$\Delta \nu$: linewidth of spontaneous emission

e : electron charge

d : thickness of active region

J : injected current density

Therefore, the threshold condition for lasing is

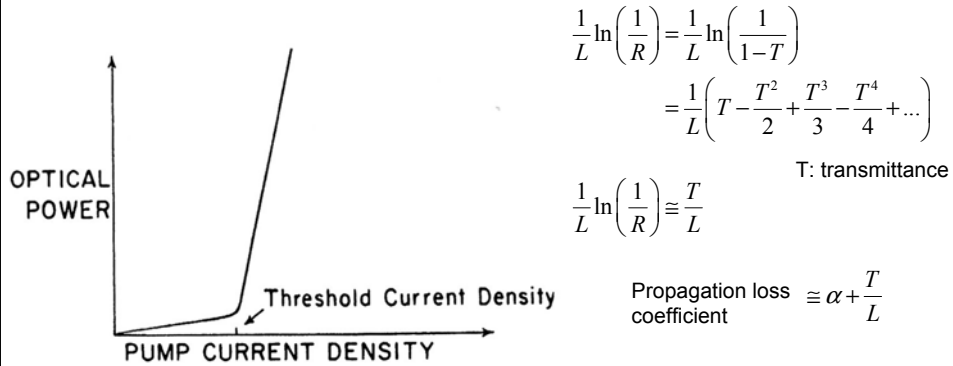
$$\underbrace{\frac{\eta_q \lambda_0^2 J_{th}}{8\pi e n^2 \Delta \nu D}}_{\text{effective gain per pass}} = \underbrace{\alpha + \frac{1}{L} \ln \frac{1}{R}}_{\text{effective loss per pass}} \quad \text{or} \quad J_{th} = \frac{8\pi e n^2 \Delta \nu D}{\eta_q \lambda_0^2} \left(\alpha + \frac{1}{L} \ln \frac{1}{R} \right)$$

Ming-Chang Lee, Integrated Photonic Devices

Lasing Threshold Conditions (Threshold Current)

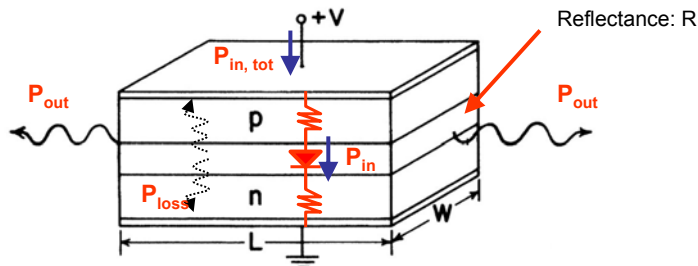
The threshold current is that which is necessary to produce just enough gain to overcome the losses

Note that, from the standpoint of threshold, the light output of laser at the end faces must be counted as a loss.



Ming-Chang Lee, Integrated Photonic Devices

Output Laser Power and Efficiency



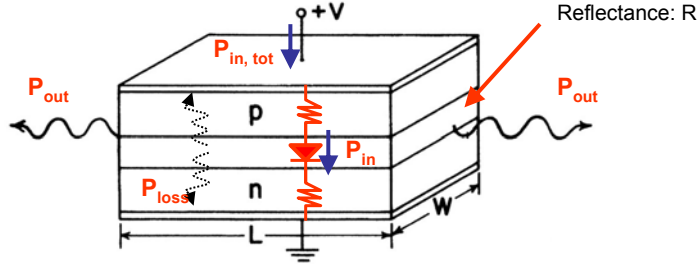
The power provided by external injected current should be equal to the emitting laser power as well as loss inside the cavity

The ratio of the emitting power is defined by

$$\eta = \frac{\frac{1}{L} \ln \frac{1}{R}}{\alpha + \frac{1}{L} \ln \frac{1}{R}}$$

Ming-Chang Lee, Integrated Photonic Devices

Output Laser Power and Efficiency



The emitted power is then given by

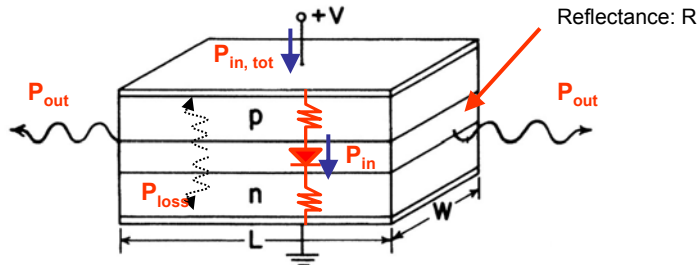
$$P_{out} = \eta P_{in} = \eta \left[\frac{J}{e} \eta_q (L \times W) h\nu \right] \quad (P_{out} \text{ is power out of both end faces})$$

which is,

$$P_{out} = \frac{\frac{1}{L} \ln \frac{1}{R}}{\alpha + \frac{1}{L} \ln \frac{1}{R}} \frac{J \eta_q (L \times W) h\nu}{e}$$

Ming-Chang Lee, Integrated Photonic Devices

Output Laser Power and Efficiency

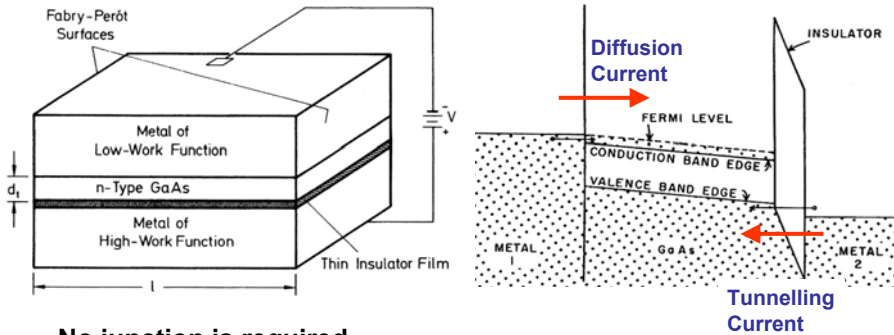


The overall power efficiency including the effect of series resistance in the devices is thus given by

$$\eta_{tot} = \frac{P_{out}}{P_{in,tot}} = \frac{\frac{\frac{1}{L} \ln \frac{1}{R}}{\alpha + \frac{1}{L} \ln \frac{1}{R}} \frac{J \eta_q (L \times W) h\nu}{e}}{\frac{J}{e} (L \times W) h\nu + [J (L \times W)]^2 R_{series}}$$

Ming-Chang Lee, Integrated Photonic Devices

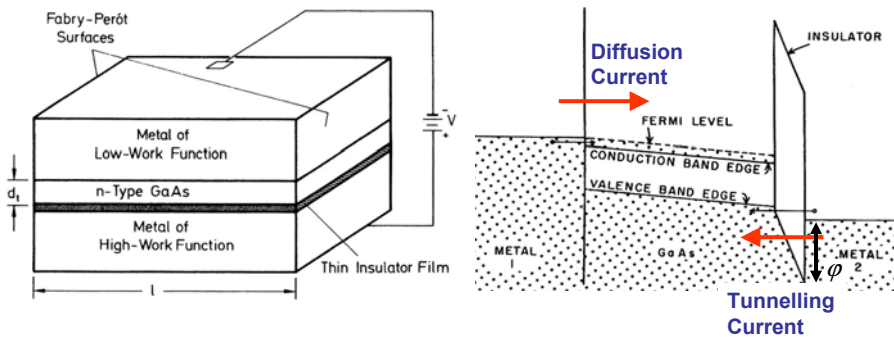
Tunnel-Injection Laser



- No junction is required
- Electrons are injected from low-work-function metal by diffusion current
- Holes are injected from high-work-function metal by tunnelling current
- Holes and Electrons are recombined in the semiconductor region

Ming-Chang Lee, Integrated Photonic Devices

Tunnel-Injection Laser



- The tunnel-injected laser was one of the first of the confined-field type lasers (such as heterojunction lasers)
- The optical field is well confined in the semiconductor region due to metal reflection. That is, $D=d$

Ming-Chang Lee, Integrated Photonic Devices